

value of coins = 1.35

* # of nickels (is) 1 less than twice # of dimes *

$$n = 2d - 1$$

$$2d$$

let n = # of nickels

let d = # of dimes

$$n = 7$$

$$d = 13$$

$$n = 2d - 1$$

$$5n + 10d = 135$$

$$n - 2d = -1$$

$$5n - 10d = -5$$

let $x = 1^{\text{st}}$ int
 $y = 2^{\text{nd}}$ int

$$\begin{cases} 2x + 3y = 9 \\ 3x + 2y = 1 \end{cases}$$

$$\begin{cases} x = -3 \\ y = 5 \end{cases}$$

Quiz #6

E.Q.:

Why is the concept of a function important and how do I use function notation to show a variety of situations modeled by functions?

How do I interpret functions that arise in applications in terms of context?

How do I use different representations to analyze linear functions?

How do I build a linear function that models a relationship between two quantities?

How do I interpret expressions for functions in terms of the situation they model?

How do I interpret key features of graphs in context?

What is a function?

- An activity or purpose natural to or intended for a person or thing
- Work or operate in a proper or particular way
- A relationship or expression involving one or more variables.

Functions

Function --- a relation in which each element of the *domain* is paired with exactly one element of the range.

There is one and only one output (y) with each input (x).

Vocabulary Recall

- **Domain** — in a set of ordered pairs, (x, y) , the *domain* is the set of all **x-coordinates**; also called “**input**”
- **Range** — in a set of ordered pairs, (x, y) , the *range* is the set of all **y-coordinates**; also called the “**output**”

VOCABULARY RECALL

Function --- each element of the *domain* is paired with exactly one element of the *range*.

"Machine" uses "input" to give "output"

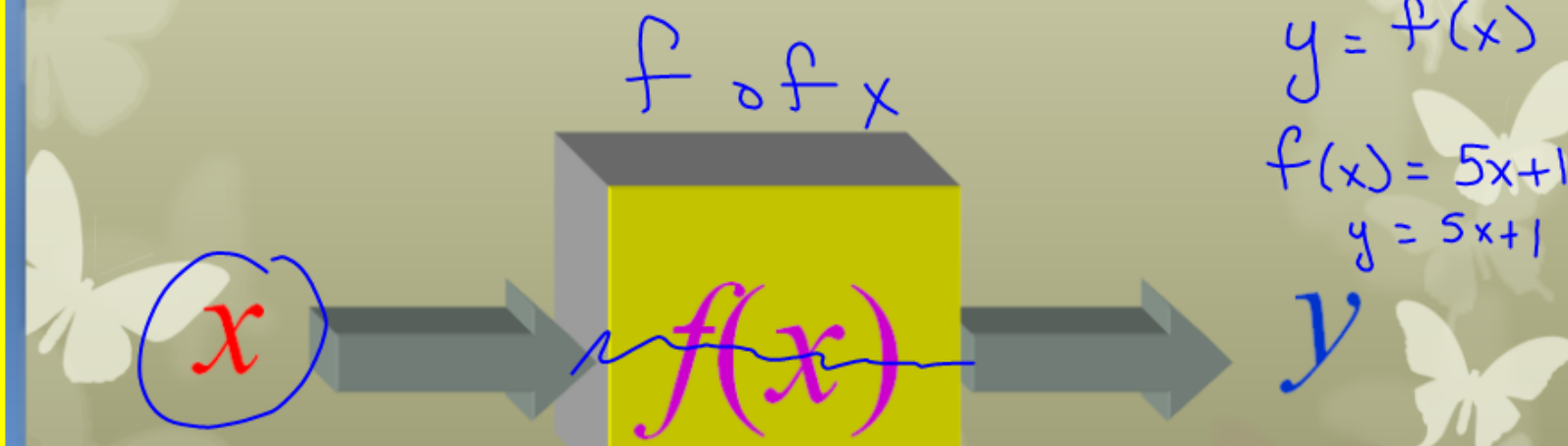
f of x

$$y = f(x)$$

$$f(x) = 5x + 1$$

$$y = 5x + 1$$

y



Given the following set of ordered pairs, find the **domain** and **range**.

$$\text{Ex 1: } \{(2,3), (-1,0), (4,-5), (0,-3)\}$$

$$D: \{-1, 0, 2, 4\}$$

$$R: \{-5, -3, 0, 3\}$$

Finite

Given the following set of ordered pairs, find the **domain** and **range**.

$$\text{Ex 2: } \{(-2,4), (1,2), (4,3), (0,2)\}$$

$$D \\ \{-2, 0, 1, 4\}$$

$$R \\ \{2, 3, 4\}$$

Determine whether each relation is a function. Explain.

1. $\{(2, 3), (3, 0), (5, 2), (4, 3)\}$ Yes

2. $\{(4, 1), (5, 2), (5, 3), (6, 0), (1, 9)\}$ No

3. $\{(1, -4), (2, 3), (-5, 3)\}$ Yes

Here are other ways to represent relations. Determine if these relations are functions.

We can represent functions with:

- ★ • tables
- mapping diagrams
- ★ • graphs

Table

1.

<i>a</i>	-3	-2	-1	0	1	2	3
<i>b</i>	1	-2	2	4	-3	-2	-1

input

output

Yes

2.

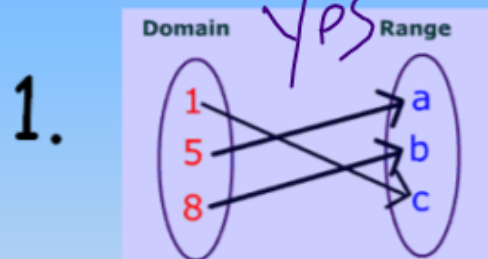
Animal	Average Lifetime (years)	Maximum Lifetime (years)
Cat	12	28
Cow	15	30
Deer	8	20
Dog	12	20
Horse	20	50

No

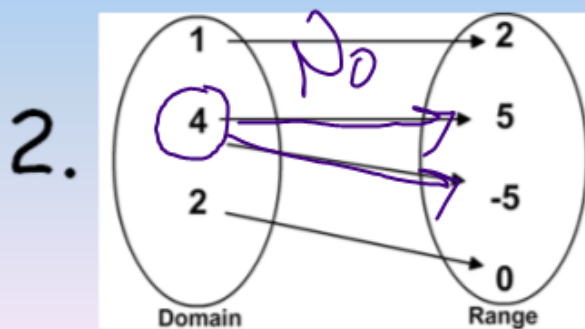
input *output*

Determine if these relations are functions.

Mapping



$(1, c)$
 $(5, a)$
 $(8, b)$

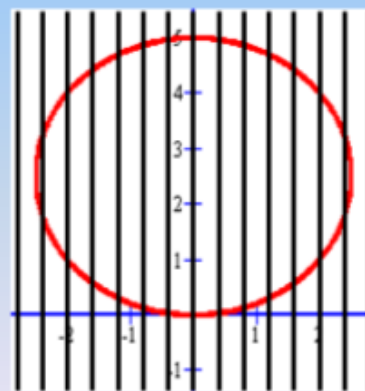
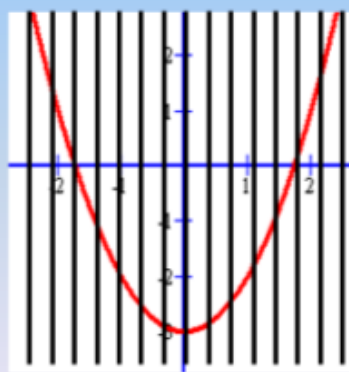
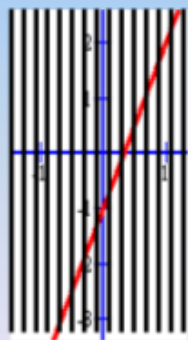


$(1, 2)$
 $(4, 5)$
 $(4, -5)$
 $(2, 0)$

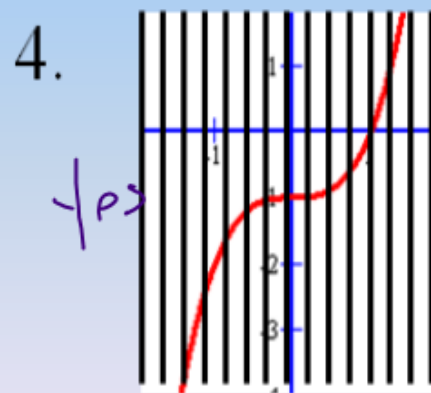
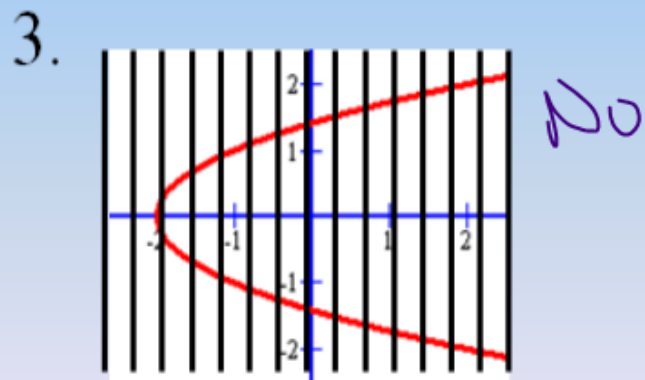
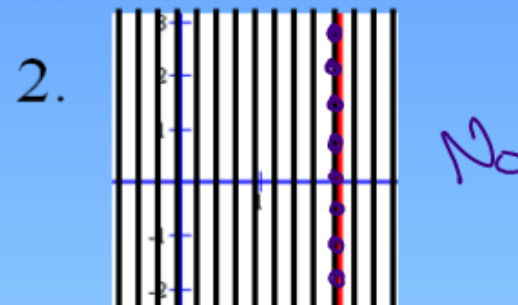
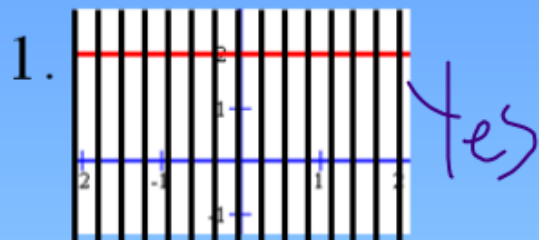
Vertical Line Test (VLT)

If any **vertical line** passes through **more than one point** of the graph, then that relation is **not** a function.

Are these relations **functions**?



Determine if these relations are functions. Explain.



Stating the domain
and
range of a function

New Notation for Graphing on Number Lines:

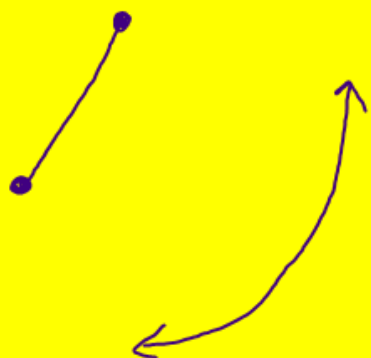
- **Parentheses:**
endpoint not included $<, >$
- **Bracket:**
endpoint included \leq, \geq

Writing Interval Notation from Graphs

Interval always written from smallest number to largest number

$[(\text{smallest } \#, \text{largest } \#)]$

Infinity: always use a parenthesis



Infinite Set of Points

$[0, 5]$

$[0, 5)$

$(0, 5]$

$(0, 5)$



$[0, 5]$



$[0, 5)$

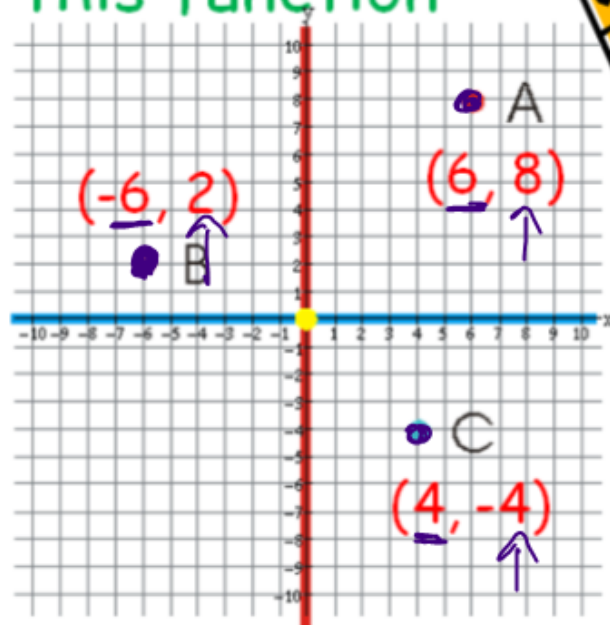
RECALL: State the Domain
and Range of this function

Domain:

$$\{-6, 4, 6\}$$

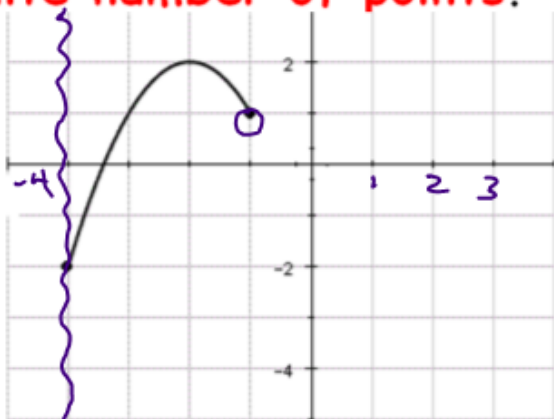
Range:

$$\{-4, 2, 8\}$$



Sometimes the set of ordered pairs from a graph may be an **infinite number of points**.

Ex 1



Infinite Points

State the Domain and Range from a Continuous Graph

Domain: Identify **Far Left Point**

Domain: Identify **Far Right Point**

Domain: Write the **x-coordinates** from smallest to largest.

Inequality Notation:

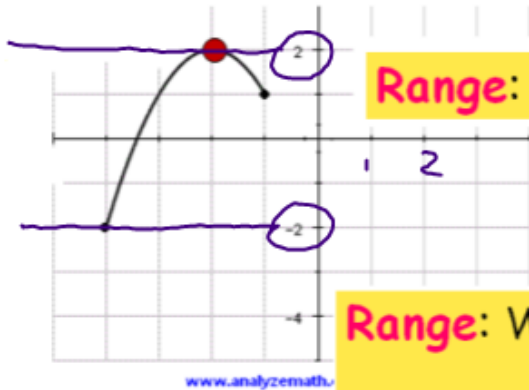
$$-4 \leq x \leq -1$$

Interval Notation:

$$[-4, -1]$$

State the Domain and Range from a Continuous Graph

Range: Identify Maximum Point



Range: Identify Minimum Point

Range: Write the y-coordinates from smallest to largest

Inequality Notation:

$$-2 \leq y \leq 2$$

Interval Notation:

$$[-2, 2]$$

State the Domain and Range from a Continuous Graph

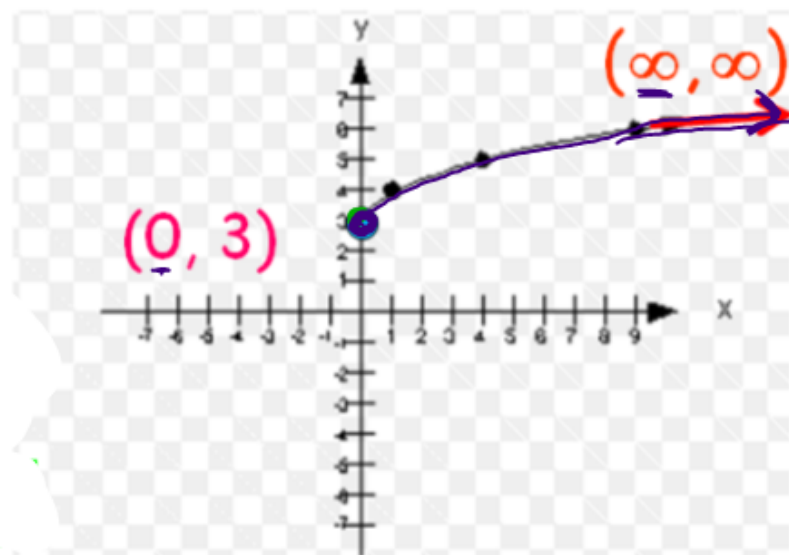
Ex 2

Domain:

$$[0, \infty)$$

Range:

$$[3, \infty)$$



Domain and Range of a Continuous Graph

Ex 3

Domain:

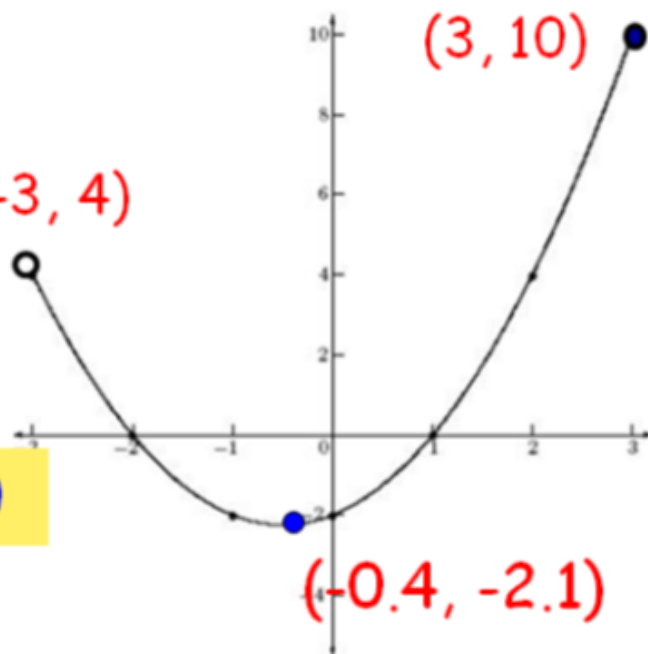
$$-3 < x \leq 3$$

$$(-3, 3]$$

Range:

$$-2.1 \leq y \leq 10$$

$$[-2.1, 10]$$

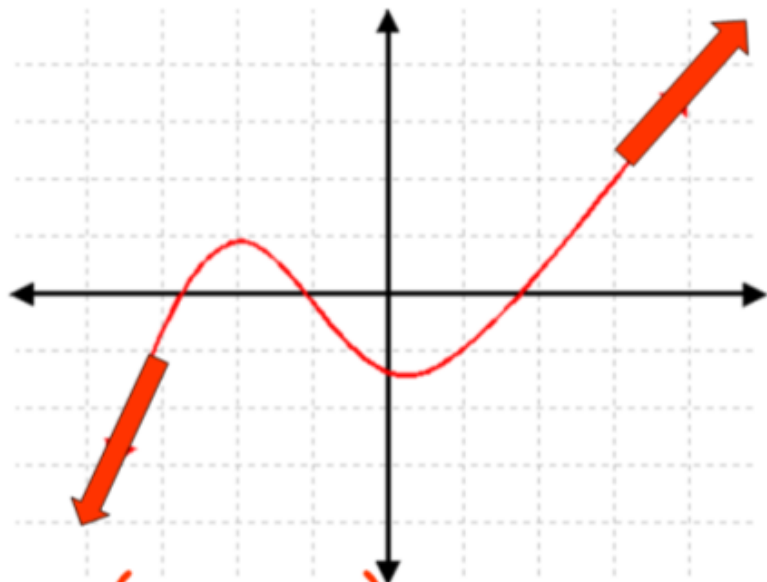


State the Domain and Range from a Continuous Graph

Ex 4

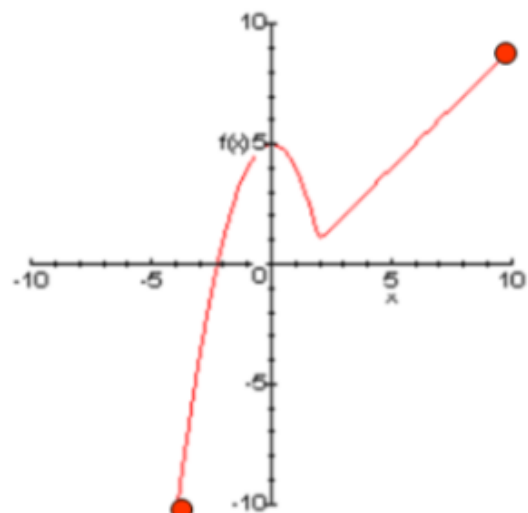
Domain:

Range:

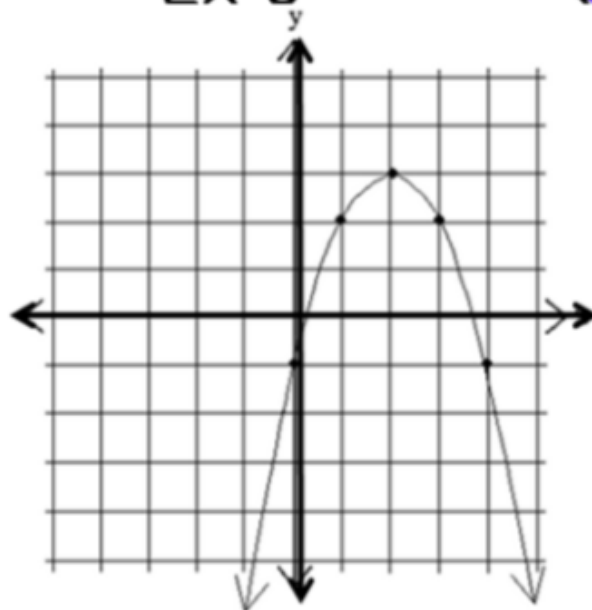


Try These on Your Own:

Ex 5



Ex 6



Worksheet

State Domain and Range Of Functions

10 minutes